



### A Practical Fault Attack on ARX-like Ciphers With a Case Study on ChaCha20

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#### ChaCha Overview

- Stream cipher published by D. Bernstein in 2008<sup>1</sup>.
- Popular thanks to adoption by Google in their TLS implementation.
- It is a variant of Salsa20, with increased level of diffusion.
- Based on ARX (Addition-Rotation-Xor).
- No practical fault analysis published yet.

<sup>1</sup>D. J. Bernstein: ChaCha, a variant of Salsa20, New Stream Cipher Designs - The eSTREAM Finalists, 2008.





#### ChaCha20 Overview



Figure: Quaterround function.

$$X = \begin{pmatrix} x_0 & x_1 & x_2 & x_3 \\ x_4 & x_5 & x_6 & x_7 \\ x_8 & x_9 & x_{10} & x_{11} \\ x_{12} & x_{13} & x_{14} & x_{15} \end{pmatrix} = \begin{pmatrix} c_0 & c_1 & c_2 & c_3 \\ k_0 & k_1 & k_2 & k_3 \\ k_4 & k_5 & k_6 & k_7 \\ t_0 & t_1 & v_0 & v_1 \end{pmatrix}$$

32-bit words:

- c<sub>i</sub> constants
- *k<sub>i</sub>* key
- $t_i$  counter
- *v<sub>i</sub>* nonce





#### ChaCha20 Algorithm

Inputs: Constant C; Key K; Counter T; Nonce V;

- 1:  $X \leftarrow InitialState(C,K,T,V)$
- $2: \; \mathsf{Y} \leftarrow \mathsf{X}$
- 3: for i = 0 to 9 do
- 4: {Column Round}
- 5:  $(x_0, x_4, x_8, x_{12}) \leftarrow Quaterround(x_0, x_4, x_8, x_{12})$
- $\textbf{6:} \quad (x_1, x_5, x_9, x_{13}) \leftarrow Quaterround(x_1, x_5, x_9, x_{13})$
- 7:  $(x_2, x_6, x_{10}, x_{14}) \leftarrow Quaterround(x_2, x_6, x_{10}, x_{14})$
- 8:  $(x_3, x_7, x_{11}, x_{15}) \leftarrow Quaterround(x_3, x_7, x_{11}, x_{15})$
- 9: {Diagonal Round}

10: 
$$(x_0, x_5, x_{10}, x_{15}) \leftarrow Quaterround(x_0, x_5, x_{10}, x_{15})$$

11: 
$$(x_1, x_6, x_{11}, x_{12}) \leftarrow Quaterround(x_1, x_6, x_{11}, x_{12})$$

- 12:  $(x_2, x_7, x_8, x_{13}) \leftarrow Quaterround(x_2, x_7, x_8, x_{13})$
- 13:  $(x_3, x_4, x_9, x_{14}) \leftarrow Quaterround(x_3, x_4, x_9, x_{14})$
- 14: end for
- 15:  $\mathsf{Z} \leftarrow \mathsf{X} + \mathsf{Y}$
- 16: return Z





#### Experimental Setup



- 1064 nm diode pulse laser with 8 W pulse power.
- $20 \times$  magnification lens, resulting to  $15 \times 3.5 \ \mu m^2$  spot size.
- DUT: 8-bit ATmega328P mounted on Arduino UNO board.





#### Contributions

- We demonstrate the first practical attack on ChaCha.
- We target the following operations of the cipher:
  - Final addition operation between X and Y at the end of the keystream generation.
  - 12-bit rotation during Quaterround in round 20.
  - Branch-not-equal during Quaterround in round 20.









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#### Mechanical Decapsulation











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#### DUT - Arduino Board





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#### Spatial Profiling

- Total die area:  $\approx 3 \times 3 \text{ mm}^2$ .
- Step size in each direction: 15  $\mu$ m, resulting to 40.000 scans.
- Sensitive area of the chip:  $\approx 20 \times 55 \ \mu m^2$ .



Figure: Sensitive area of ATmega328P.





#### **Temporal Profiling**

- One instruction takes 62.5 ns.
- We targeted EOR instructions during the profiling phase.
- We could precisely disturb a single instruction.



Figure: Disturbance of different instructions w.r.t. time.



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#### Trigger and Laser Response





#### Instruction Changes and "Skips"

- Fault injection changes the instruction opcode on the bus.
- This can result into instruction change (ADD  $\rightarrow$  SUB, ADC  $\rightarrow$  SBC).
- In case the opcode is invalid, instruction decoder will not recognize it effectively resulting into NOP.

















#### Attack on Final Addition

In	itial	Sta	te						
$c_0$	$c_1$	$c_2$	с3						
$k_0$	$k_1$	$k_2$	$k_3$						
$k_4$	$k_5$	$k_6$	$k_7$				_	-	
$t_0$	$t_1$	$v_0$	$v_1$			z <sub>0,0</sub>	$z_{0,1}$	Z0,2	Z0,3
						Z1,0	$s_{1,1}^{20}$	Z1,2	Z1,3
Final State						Z2,0	Z2,1	Z2,2	Z2,3
$s_{0,0}^{20}$	$s_{0,1}^{20}$	$s_{0,2}^{20}$	$s_{0,3}^{20}$			Z3,0	$z_{3,1}$	z3,2	Z3,3
$s_{1,0}^{20}$	$s_{1,1}^{20}$	$s_{1,2}^{20}$	$s_{1,3}^{20}$						
$s_{2,0}^{20}$	$s_{2,1}^{20}$	$s_{2,2}^{20}$	$s_{2,3}^{20}$						
$s^{20}_{3,0}$	$s^{20}_{3,1}$	$s^{20}_{3,2}$	$s^{20}_{3,3}$						

$$z_{1,1} = k_1 + s_{1,1}^{20}$$
$$z'_{1,1} = s_{1,1}^{20}$$
$$k_1 = z_{1,1} - z'_{1,1}$$

# Fault injection skips the function call to 32-bit addition subroutine.

Key Words	Fault Injection Timing
Revealed	(in clock cycles)
$k_0$	$t_0 + 153$
$k_1$	$t_0 + 191$
$k_2$	$t_0 + 230$
$k_3$	$t_0 + 281$
$k_4$	$t_0 + 319$
$k_5$	$t_0 + 359$
$k_6$	$t_0 + 398$
$k_7$	$t_0 + 436$



#### Attack on Rotation





- We target 12-bit rotation in each Quaterround in round 20.
- Shifted values of the diagonals and knowledge of the first and the last row of the initial matrix helps to reduce the key search space from  $2^{256}$  to  $2^{12}$  with just 4 faults and recovers the key with 8 faults.
- Similarly to previous attack, function calls (RCALL) to 32-bit shifts were skipped.



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#### Diagonal Fault Attack

```
ARX%=:
       cpi r19, 0x00
       brne 40f
                              Column 1 : (0.4.8.12)
       cpi r19, 0x00
        brne 80f
       80:
       cpi r19,0x01
       83.
       cpi r19, 0x04
       hrne 44f
                              Diagonal 1 : (0.5.10.15)
       44.
       cpi r19, 0x04
       brne 84f
       84 :
20
       cpi r19, 0x05
       brne 45f
                              Diagonal 2 : (1,6,11,12)
        45:
25
       cpi r19, 0x05
       brne 85f
       cpi r19, 0x06
       brne 46f
                              Diagonal 3 : (2,7,8,13)
       46:
       cpi r19, 0x06
       brne 86f
35
       86:
       cpi r19, 0x07
       brne 47f
                              Diagonal 4 ; (3.4.9.14)
40
        cpi r19, 0x07
        brne 87f
       87:
       rimp ARXExit%=
```

- Attack takes advantage of the fact that operation on any diagonal involves a series of CPI – BRNE instructions.
- By carefully skipping certain branch instructions, we can force some operations on diagonals to be executed twice.
- 5 fault injections can recover the whole 256-bit key.





#### Instruction Replacement Attack

- Targets the four 8-bit additions after the last round (final addition).
- Platform dependent, taking advantage of the fact that:
  - $\texttt{ADD} + \texttt{fault} \rightarrow \texttt{SUB}$
  - $\texttt{ADC} + \texttt{fault} \rightarrow \texttt{SBC}$
- For each 32-bit key word, we need 4 faults, resulting to 32 fault in total to recover the whole key.

















#### Conclusion

#### Table: Summary of Fault Attack Results on ChaCha.

Attack Type	# of Fault Injections	Key Space
Attack on final Addition	8	1
Attack on Rotation	8	1
Diagonal Fault Attack	3	$2^{64}$
Diagonal Fault Attack	5	1
Instruction Replacement	32	1

- While some faults models can be made harder by unrolling the implementation, it would only increase the required number of faults.
- Final addition is the main reason these attacks work.





## Thank you! Any questions?



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